



About Moxoff

Spinoff of MOX

Laboratory for Modeling and Scientific Computing



Politecnico di Milano





About Moxoff



Ottavio CRIVARO MOXOFF CEO



Alfio QUARTERONI EPFL CMCS Director



Piercesare SECCHI
PoliMI Math Department Director



Luca FORMAGGIA
PoliMI MOX Director

Management team



~ 20 Engineers & Data Scientists

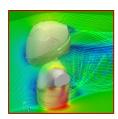


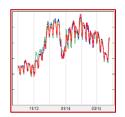
Skills & Services

Our Skills

- Data Intelligence
- Modeling
- Simulation/Optimization
- Software Engineering

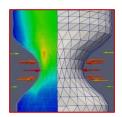




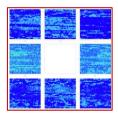


Our Services

- Consulting
- Research
- SW solutions
- SW maintenance
- Training









Partners & Clients







Whirlpool



































* DELCONCA















































INNOVATION







Sport



Oil & Gas



Manufacturing



MATH IS EVERYWHERE



Healthcare

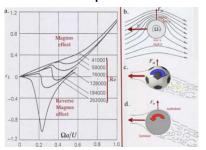


Digital & Social Networks



Big Data

Sport



Oil & Gas

$$\begin{cases} \vec{\nabla} \cdot \vec{\sigma}(\mu, \vec{u}) - \vec{\nabla}P + \rho \vec{g} = 0 & \text{in} \quad \Omega \times [0, T], \\ \vec{\nabla} \cdot \vec{u} = \Phi(\phi) & \text{in} \quad \Omega \times [0, T], \\ \frac{\partial \lambda_i}{\partial t} + (\vec{u} - \vec{u}_g) \cdot \vec{\nabla} \lambda_i = 0 & \text{in} \quad \Omega \times (0, T], \\ \frac{\partial \psi}{\partial t} + (\vec{u} - \vec{u}_g) \cdot \vec{\nabla} \psi = 0 & \text{in} \quad \Omega \times (0, T], \\ \vec{\sigma} = \mu(\vec{u}, \psi, \xi_i)(\vec{\nabla} \vec{u} + (\vec{\nabla} \vec{u})^T) & \text{in} \quad \Omega \times (0, T], \\ \lambda_i = \vec{\lambda}_i, \quad \psi = \vec{\psi} & \text{in} \quad \Omega \times \{0\}, \\ \vec{u} = \vec{u} & \text{on} \quad \Gamma_B, \\ (\vec{\sigma} - P\vec{\bar{I}}) \cdot \hat{n} = 0 & \text{on} \quad \Gamma_S, \\ u_1 = \vec{u}_1, \quad u_2 = \vec{u}_2, \quad ((\vec{\sigma} - P\vec{\bar{I}}) \cdot \hat{n}) \cdot \hat{x}_3 = 0 & \text{on} \quad \Gamma_L, \end{cases}$$

Manufacturing

$$\begin{cases} \rho \partial_{tt} \mathbf{u} - \nabla \cdot \underline{\sigma}(\mathbf{u}) = \mathbf{f}, & \text{in } \Omega \times [0, T] \\ \mathbf{u} = \mathbf{0}, & \text{on } \Gamma_D \times [0, T] \\ \underline{\sigma}(\mathbf{u}) \cdot \mathbf{n} = \mathbf{t}, & \text{on } \Gamma_N \times [0, T] \\ \text{non-reflecting b.c.,} & \text{on } \Gamma_{NR} \times [0, T] \\ \partial_t \mathbf{u} = \mathbf{u}_1, & \text{in } \Omega \times \{0\} \\ \mathbf{u} = \mathbf{u}_0, & \text{in } \Omega \times \{0\} \end{cases}$$

MATH IS HARD

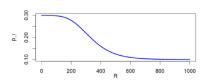
$$\begin{cases} \rho_f \partial_t \mathbf{u}|_{\mathbf{x}_0} + \rho_f \left(\mathbf{u} - \mathbf{w} \right) \cdot \nabla \mathbf{u} - \nabla \cdot \mathbf{T}_f = \mathbf{f}_f \\ \nabla \cdot \mathbf{u} = 0 \\ \rho_s \frac{\partial \hat{\boldsymbol{\eta}}^2}{\partial t^2} - \nabla \cdot \hat{\mathbf{T}}_s = \hat{\mathbf{f}}_s \\ \mathbf{u} = \frac{\partial \mathbf{u}}{\partial t} \\ \mathbf{T}_s \cdot \mathbf{n}_s + \mathbf{T}_f \cdot \mathbf{n}_f = 0 \end{cases}$$

$$\begin{split} L\big(B\big|\theta\big) &= \prod_{n=1}^{N_i} \prod_{i=1}^{I} \prod_{j=1}^{J} \sum_{k=1}^{2^J-1} P\big(C_i \!=\! H_k \big| \alpha, \Sigma\big) \!\times\! \left[b_{ijn1}^{B_{ijn}} b_{ijn0}^{\left(1-B_{ijn}\right)} \right] \!, \\ b_{ijn1} &= P(V_{in} = j | C_i; \beta, \mu, \tau) P(B_{ijn} = 1 | C_i, V_{in} = j; \gamma, \lambda). \end{split}$$

 $b_{iin0} = P(V_{in} = j | C_i; \beta, \mu, \tau)[1 - P(B_{iin} = 1 | C_i, V_{in} = j; \gamma, \lambda)]$

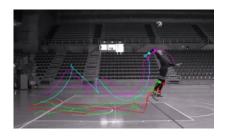
Digital & Social Networks

$$p_i = \beta_0 + \frac{\beta_0 - \beta_1}{(1 + \beta_2 \cdot e^{-\beta_3 \cdot (x_i - \beta_4)})^{1/\beta_5}}$$

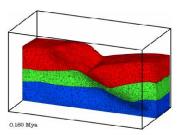


Big Data

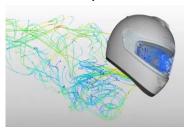
Performance Optimization



Simulation & Control

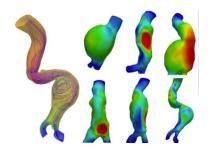


Product Optimization

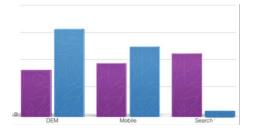




MOX•OFF makes it simple



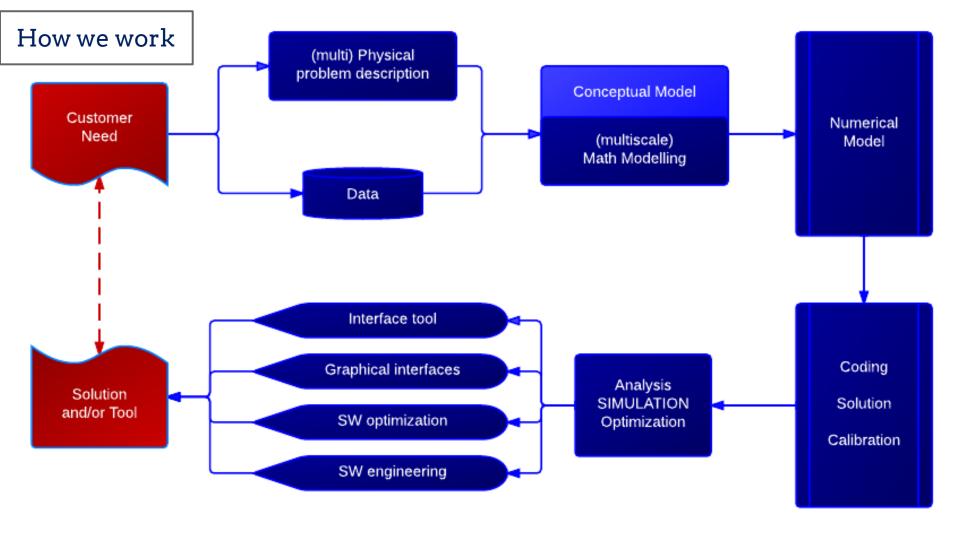
Risk Management

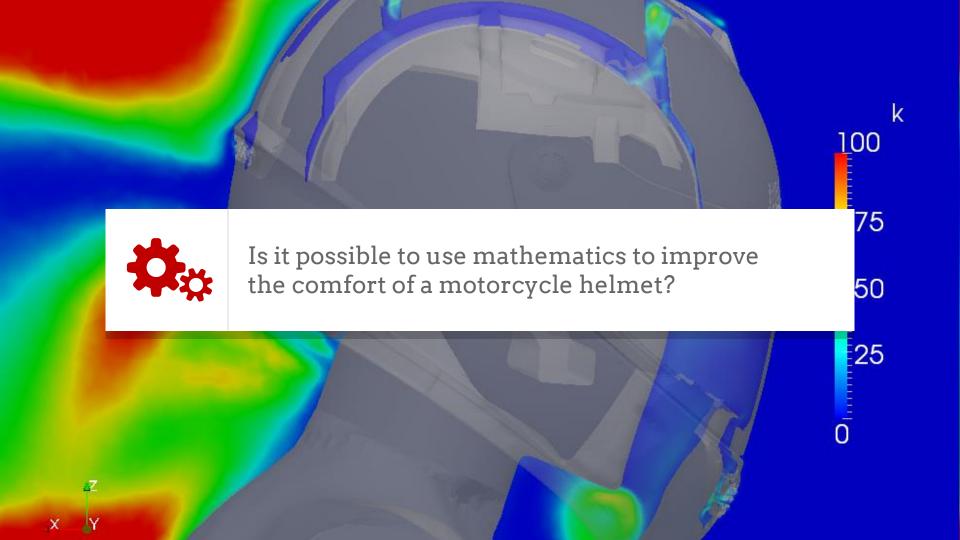


Data Intelligence

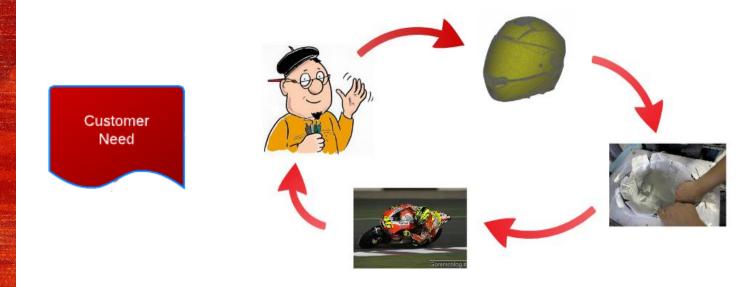


Demand Management&Planning







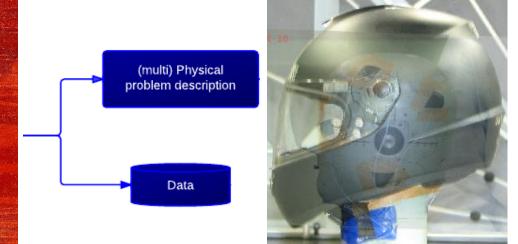


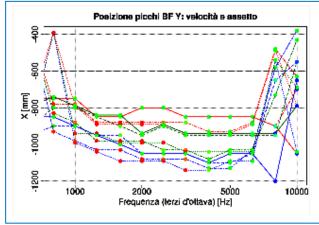




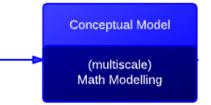












➤ ThermoFluid dynamic problem

▶ Navier–Stokes coupled with Darcy–Forchheimer: Penalized NS

$$\rho \left(\frac{\partial \mathbf{u}}{\partial t} + (\mathbf{u} \cdot \nabla) \mathbf{u} \right) - \mu \Delta \mathbf{u} + \nabla \rho + \left(\frac{\mu}{k} \mathbf{u} + \frac{\rho C_F}{\sqrt{k}} |\mathbf{u}| \mathbf{u} \right) \chi_{\Omega_p} = \mathbf{0}$$

- ▶ Temperature T: $\frac{\partial T}{\partial t} + C_f \mathbf{u} \cdot \nabla T = \nabla \cdot (\lambda_p \nabla T) I_e s(h, w, T)$
- ▶ Humidity *h*:
- **▶** Sweat conten
- **▶** Evaporation r

Vibroacoustic model

▶ Elastodynamics equations:

$$\begin{cases} \rho \partial_{tt} \mathbf{u} - \nabla \cdot \boldsymbol{\sigma}(\mathbf{u}) = \mathbf{f}, & \text{on } \Omega \times (0, T) \\ \mathbf{u} = 0 & \text{in} \Gamma_{N} \times (0, T) \\ \boldsymbol{\sigma}(\mathbf{n}) = \mathbf{t}, & \text{on } \Gamma_{NR} \times (0, T) \\ & \text{non-reflecting b.c.,} & \text{on } \Gamma \times (0, T) \\ \partial_{t} \mathbf{u} = \mathbf{u}_{1}, & \text{on } \Omega \times \{0\} \end{cases}$$

- u = u₀,DG formulation
- ▶ time domain
- ▶3D hexa mesh



- f, p, w = fluid, porous, wet domain $\rho = air density$
- **u** = flow velocity
- t = time
- $\mu = dynamic viscosity$
- p = pressure
- k = permeability

ynamics chrometrics ents

- $\mathbf{u} = \textit{displacement}$
- t = time
- $n=unit\ normal$
- $\underline{\sigma} = \mathit{stress tensor}$
- $\mathbf{u}_1 = initial \ velocity$
- $f={\it external force}$
- $\Omega=3\textit{D domain}$
- $\Gamma = \textit{boundaries}$

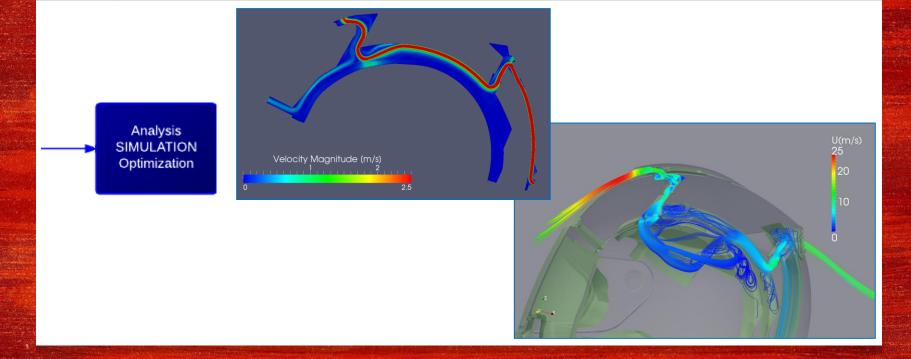


```
Risoluzione del problema fluidodinamico
             cout << "RISOLUZIONE PROBLEMA FLUIDODINAMICO" << endl << endl;</pre>
              // Definizione degli spazi funzionali
             fespace Vh(Th,P2); // Spazio per le componenti della velocita'
              fespace Wh //* Risoluzione iterativa delle equazioni di Navier-Stokes
Numerical
                         real cpu:
 Model
                         real normah1duinit:
              // Definiz for (int i=1; i<=iterazioni; i++) {</pre>
             Vh u1, u2; cout << "ITERAZIONE: " << i << endl;</pre>
              Wh p;
                           // Definizione delle variabili associate al passo precedente
                           Vh u1old, u2old;
                           Wh pold;
                           u1old = u1;
                           u2old = u2;
```

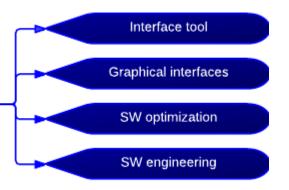
pold = p;

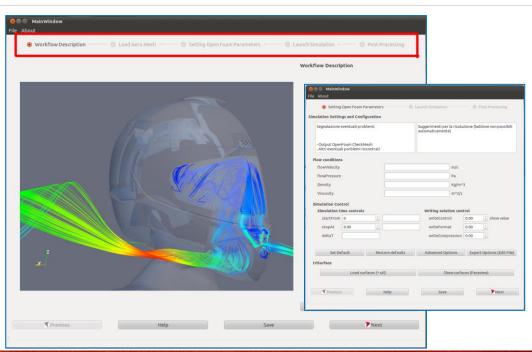
Coding
Solution
Calibration



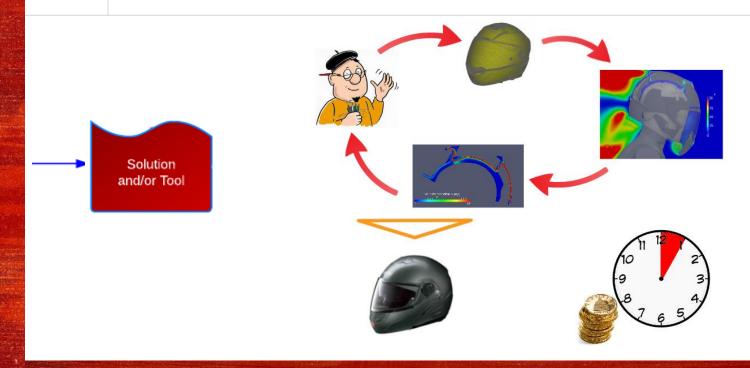


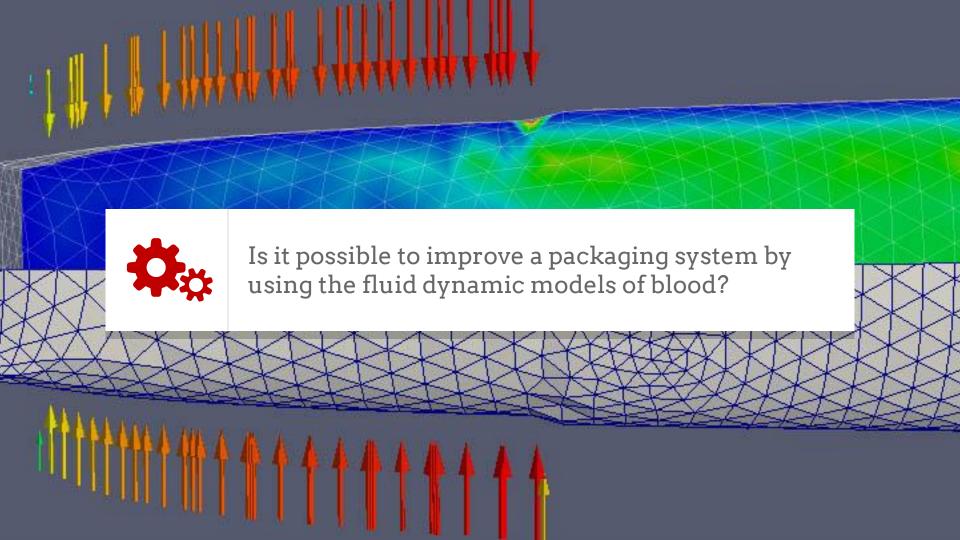






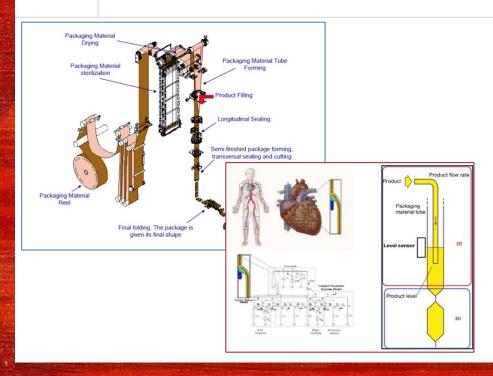








Hemodynamic and industrial automation



Need:

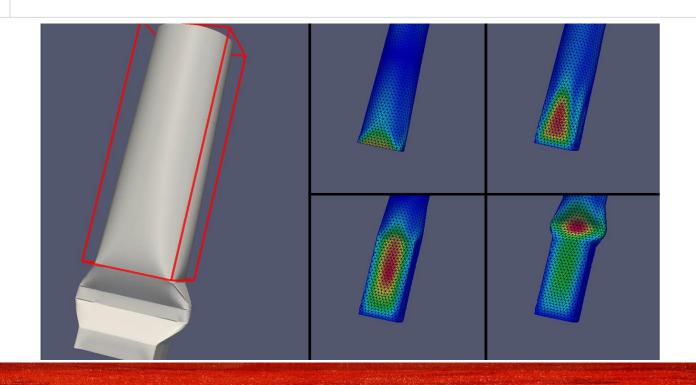
Improving control of the formation and filling phases of a packet in a packaging system, preserving the integrity of the package and the accuracy of the fill.

Skills:

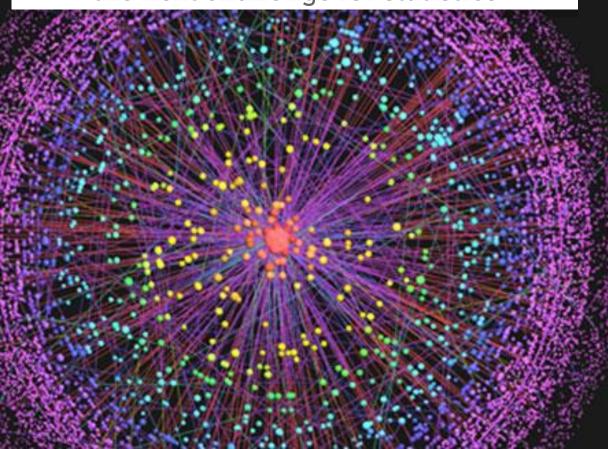
- Multiscale modeling
- Multiphysics modeling
- Model integration
- Fluid-structure interaction
- Software integration and validation



Hemodynamic and industrial automation



Big Data the next challenge for statistics



Product design

Marketing & adv

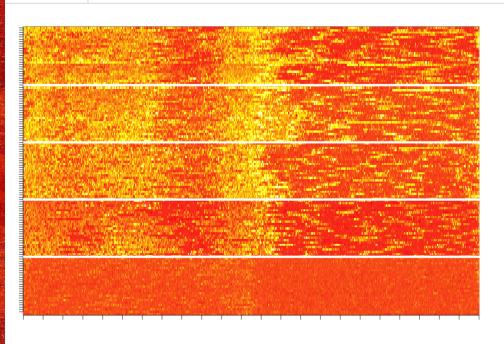
Customers behavior

Employee management





Use of Big Data, from the Analyses of Preventative Diagnosis to the Maintenance of a System



Need:

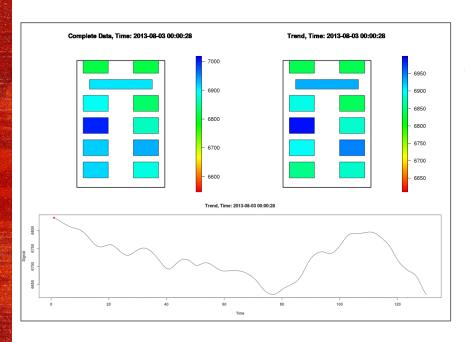
Identifying trends and classifying the states of a system through the analysis of data recorded real-time by electronic sensors.

Skills:

- Classification and clustering.
- Functional data analysis.



Use of Big Data, from the Analyses of Preventative Diagnosis to the Maintenance of a System



Output:

- Robust and user-friendly software.
- Advanced statistical analysis.
- Automatic monitoring of the system.
- Identification of characteristic trends.
- Alerts in case of anomalous events.



Our Products



Innovative platform to optimize fundraising campaigns





SmartAID: Mathematics for Fundraising

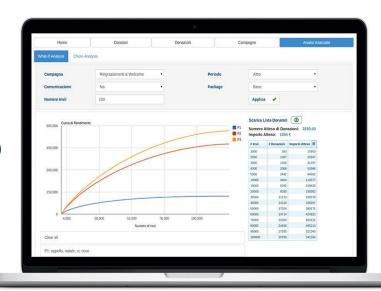
The innovative data analysis platform designed to organize fundraising and facilitate fundraiser's choices.

- Segmentation on donors' behavior (RFM)
- Life time value
- Filtering on a geographical basis
- Forecast & "what if" analysis
- Churn analysis

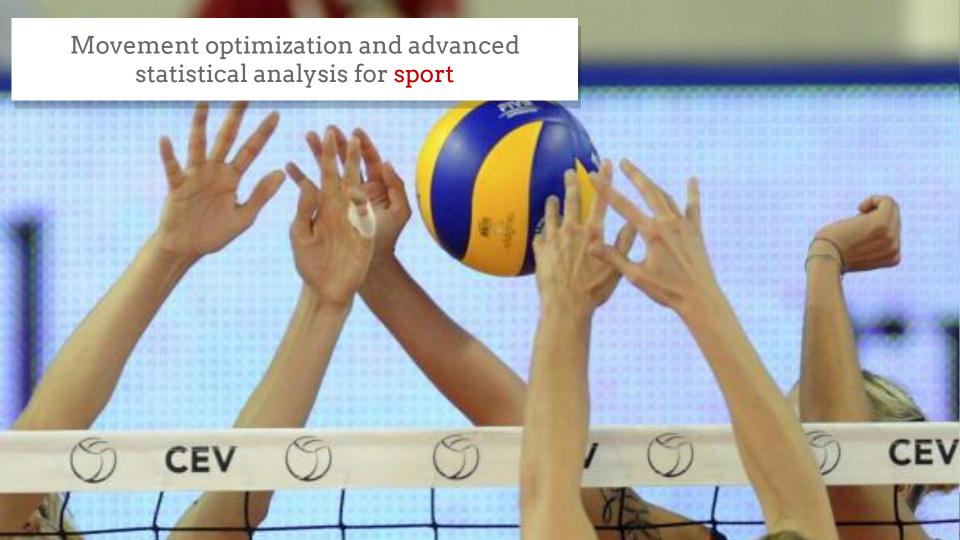








www.smartaid.it

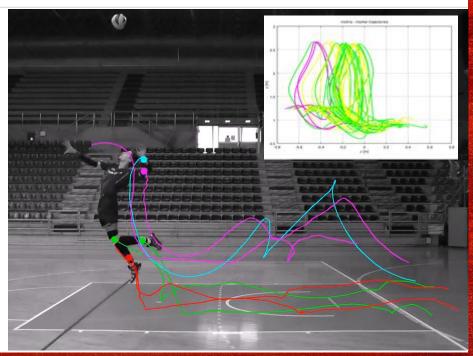




MOViDA (Movement's Optimization, through Video and Data Analysis)

- Analysis of athletic movement based on specific technical and physical characteristics of the individual athlete.
- Video processing of movements and automatic data exctraction.
- Data analysis to find correlations and optimal gesture.







SeTTEX (Second Touch Tactical Exploration)

- Advanced statistical analysis of opponent's game.
- Interactive view of real-time setter distribution
- Touch-based app for visual data entry
- Generation and use of statistical during matches



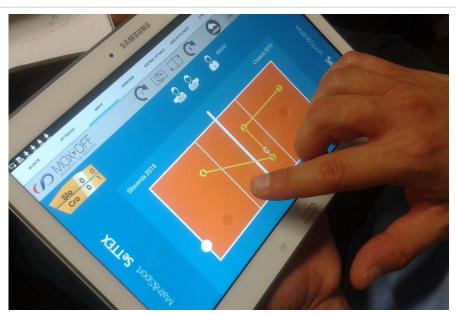
Official Consultant







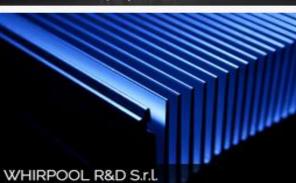




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Mathesia: the land where math creates innovation

PITCHER



A company with a new idea or a business challenge

BRAINIES





Researchers, scientists consultants & engineers



Mathesia: the land where math creates innovation



Pitcher and selected Brainy stipulate a contract and start to work together





Mathesia Call 4 Talents... COMING SOON

DATA SCIENCE

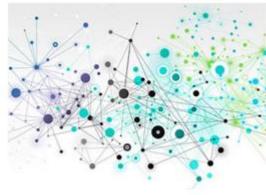
JOB POSITION: SENIOR DATA SCIENTIST

AREA: Rome, Italy

If you are a young data scientist with know-how in Network Analysis, Machine Learning and Predictive and Statistical analysis; if you are looking to enhance your professional experience by working in a dynamic environment, then you might be the one we are looking for!

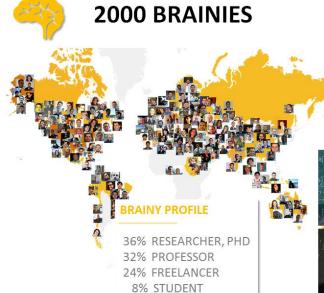
By applying and solving our talent scouting project you will automatically become one the top candidates for the position. Take up our challenge now!

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Mathesia – Brainies & Pitchers

































































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LOCCIONI















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Thanks!

- **≥** luca.turconi@moxoff.com
- www.moxoff.com
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- f/mathematicsforinnovation