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*“Uniqueness of braidings of quasitriangular Lie bialgebras
and lifts of classical r -matrices”*

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ABSTRACT

It is known that any quantization of a quasitriangular Lie bialgebra \mathfrak{g} gives rise to a braiding on the dual Poisson-Lie formal group G^* . We show that this braiding always coincides with the Weinstein-Xu braiding. We show that this braiding is the “time one automorphism” of a Hamiltonian vector field, corresponding to a certain formal function on $G^* \times G^*$, the “lift of r ”, which can be expressed in terms of r by universal formulas. The lift of r coincides with the classical limit of the rescaled logarithm of any R -matrix quantizing it.

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